

# Convergence Across Castes

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# Issue

- ▶ How do historical inequalities behave during periods of rapid and large macroeconomic changes?
  - ▶ accentuate or dampen?
- ▶ Who gains and who loses?
- ▶ What are the key channels through which distributional changes occur?

# India since 1980

- ▶ Perfect environment
- ▶ Dramatic changes over the past 25 years
- ▶ GDP growth averaged 6-8 percent since the mid 80s
  - ▶ 1947 to mid-80s growth averaged 3 percent
- ▶ Sectoral transformation from agriculture to services and high-skill sectors

# Caste System

- ▶ long history of social division due to castes
- ▶ has existed for centuries
- ▶ widespread social segmentation
- ▶ we focus on SC/STs: a quarter of Indian population

# Key Questions

- ▶ *How have these historically disadvantaged groups of Indian society fared during this period of macroeconomic changes?*
- ▶ *What are the mechanisms behind these changes?*

# This paper

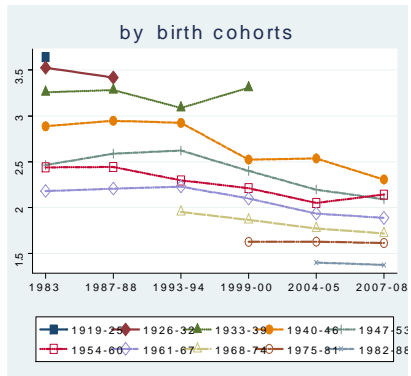
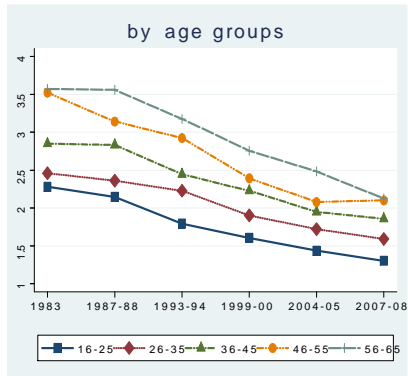
- ▶ Focus on aggregate growth, sectoral transformation and caste gaps
- ▶ Describe the key data patterns
- ▶ Develop a multi-sector, heterogenous agent model to examine the influence of aggregate shocks on the caste gaps

# Data

- ▶ National Sample Survey (NSS) of India
- ▶ 6 rounds: R38 (1983-84), R43 (1987-88), R50 (1993-94), R55 (1998-99), R61 (2004-05), R64 (2007-08)
- ▶ Include all individuals belonging to male-led households
  - ▶ 16 to 65 y.o.
  - ▶ not enrolled in any education institutions
  - ▶ working full-time
  - ▶ have industry of employment and education information
- ▶ Average sample size: 40,000 households; 170,000 individuals

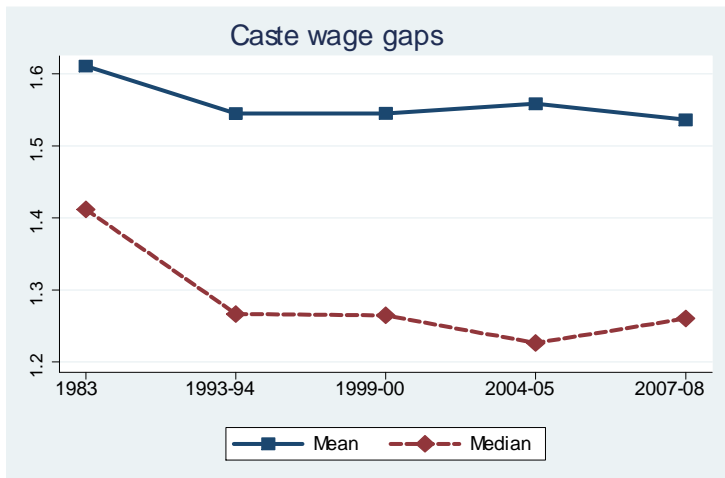
# Education Gap (years)

## Gaps by age and birth cohorts



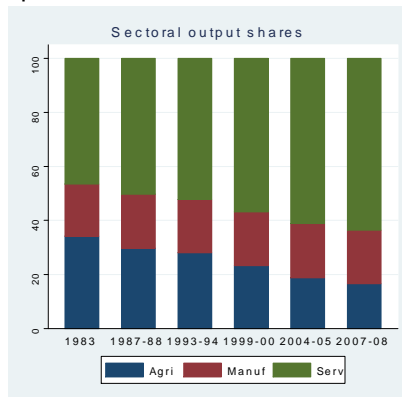
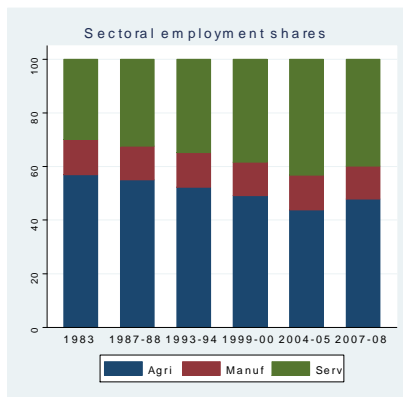


# Wage Gaps



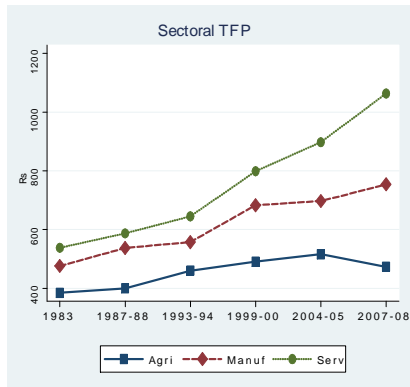
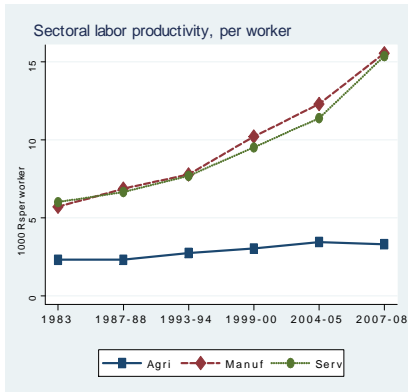
# Structural transformation

## Sectoral Compositions



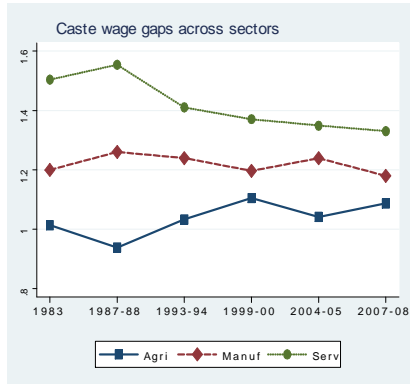
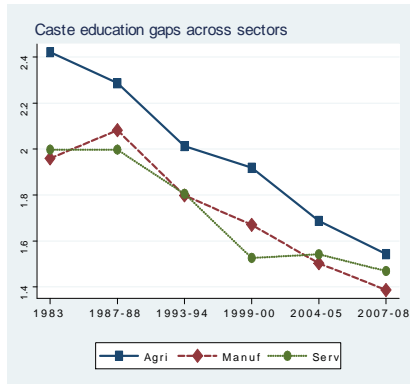
# Productivity

## Sectoral Productivity



# Sectoral education and wage gaps

## Sectoral Compositions



# Summary

- ▶ Education levels and wages have been converging between SC/STs and non-SC/STs
- ▶ Structural shift toward services
- ▶ Broad-based productivity growth
- ▶ Sectoral wage gaps
  - ▶ converging in services
  - ▶ widening in agriculture
  - ▶ unchanged in manufacturing

## Question

- ▶ Can aggregate shocks explain the caste convergence?
- ▶ Under what conditions?
- ▶ Can this be consistent with the sectoral dynamics shown above?

# Model

- ▶ One-period lived closed economy
- ▶ Continuum of agents of measure  $L$ 
  - ▶ measure  $S$  of these agents belong to caste  $s$  for SC/ST
  - ▶ measure  $N = L - S$  belong to caste  $n$  for non-SC/ST
- ▶ Each agent  $i$  maximizes utility from  $u(c_i)$ :

$$c_i = (c_i^a - \bar{c})^\theta (c_i^m)^\eta (c_i^h)^{1-\theta-\eta}$$

# Endowments

- ▶ Each agent born with one unit of labor time and an endowment of ability  $e_i$
- ▶ Ability productive in both market work and skill acquisition
- ▶ Ability  $e_i$  drawn from i.i.d. process with cdf

$$G_j(e), \quad e \in [\underline{e}_j, \bar{e}^j], \quad j = s, n$$

- ▶ We assume
  - ▶ *Assumption 1:*  $\underline{e}_s \leq \underline{e}_n$
  - ▶ *Assumption 2:*  $\bar{e}^s \leq \bar{e}^n$
- ▶ Captures effect of historical discrimination at time of entry to labor market



# Labor market

- ▶ Three sectors of potential work
  - ▶ sectors  $a, m, h$
- ▶ Sector  $a$  technology only requires basic ability
- ▶ Sectors  $m$  and  $h$  require sector-specific skills
- ▶ Skill acquisition costs are in terms of sector  $m$  goods
  - ▶ Sector  $m$  training cost:  $f_j^m(e_i)$ ,  $f_j^{m'} < 0$ ,  $j = s, n$
  - ▶ Sector  $h$  training cost:  $f_j^h(e_i)$ ,  $f_j^{h'} < 0$ ,  $j = s, n$
  - ▶ Costs are allowed to be sector and caste specific

# Sectoral production technologies

- ▶ Sector  $a$  :  $y_i^a = Ae_i$
- ▶ Sector  $m$  :  $y_i^m = Me_i$
- ▶ Sector  $h$  :  $y_i^h = He_i$
- ▶ Skill acquisition costs are like entry costs here

# Occupation choice

- ▶ Agent of caste  $j$  with ability  $e_i$  remains unskilled if and only if

$$Ae_i \geq p_m (Me_i - f_j^m(e_i))$$

$$Ae_i \geq p_h He_i - p_m f_j^h(e_i)$$

- ▶ Conditions imply the ability thresholds defined by:

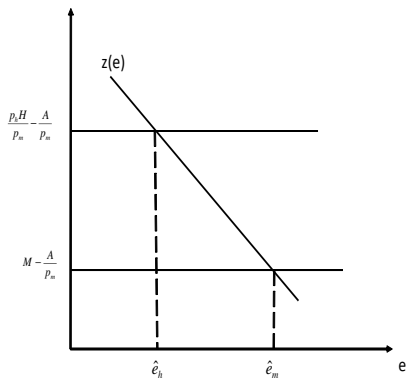
$$z_j^m(\hat{e}_j^m) = M - \frac{A}{p_m}, \quad j = s, n$$

$$z_j^h(\hat{e}_j^h) = \frac{p_h}{p_m} H - \frac{A}{p_m}, \quad j = s, n$$

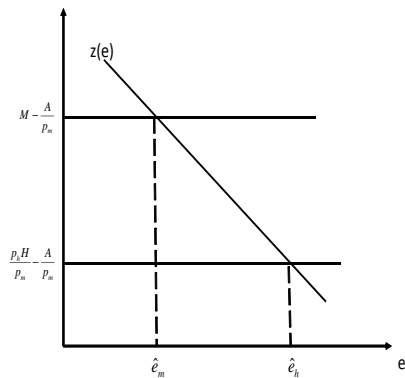
- ▶  $z_j^m(e) \equiv \frac{f_j^m(e)}{e}$  and  $z_j^h(e) \equiv \frac{f_j^h(e)}{e}$

# Ability thresholds

## Alternative scenarios



Case:  $\frac{p_m H}{p_m} > M, z_m = z_h = z$



Case:  $\frac{p_m H}{p_m} < M, z_m = z_h = z$

## Specializing the problem

- ▶ *Assumption 4:* Skill acquisition cost is

$$f_j(e) = \phi\left(\gamma_j^k - \alpha e\right) \text{ for } j = s, n \text{ and } k = m, h \text{ with } \gamma_j^k > \alpha \bar{e}^j$$

- ▶ *Assumption 5:*  $\frac{\gamma_j^h}{\gamma_j^m} = \beta$  for  $j = s, n$ ,  $\beta > 0$

- ▶ *Assumption 6:*  $G_j(e)$  is uniform on the support  $[\underline{e}_j, \bar{e}^j]$  for  $j = s, n$ .

# Implications

- ▶ Ability thresholds

$$\frac{\hat{e}_n^m}{\hat{e}_s^m} = \frac{\gamma_n^m}{\gamma_s^m}$$
$$\frac{\hat{e}_n^h}{\hat{e}_s^h} = \frac{\gamma_n^h}{\gamma_s^h}$$

- ▶ Relative sectoral ability thresholds are proportional to the relative fixed costs of acquiring skills
  - ▶  $\hat{e}_n^k > \hat{e}_s^k$  if and only if  $\gamma_n^k > \gamma_s^k$

# Productivity Shocks

## Two-sector example

- ▶ What is the effect of productivity shocks on this economy?
  - ▶ sectoral allocations
  - ▶ caste wage gaps
- ▶ Specialize to two-sector case: only sectors  $a$  and  $h$
- ▶ Productivity:

$$\begin{aligned}A &= \mu \bar{A} \\ H &= \mu \bar{H} \\ \phi &= \frac{\mu}{\bar{\phi}}\end{aligned}$$

- ▶  $\mu$  is aggregate parameter (common component of TFP)

# Aggregate Productivity Shock

**Proposition 2:** *An increase in aggregate labor productivity  $\mu$  decreases the ability threshold  $\hat{e}_s$ . This (i) reduces the caste wage gap in sector  $a$  if and only if  $\frac{\gamma_n}{\gamma_s} > \frac{e_n}{e_s}$ ; and (ii) reduces the caste wage gap in sector  $h$  if and only if  $\frac{\gamma_n}{\gamma_s} > \frac{\bar{e}_n}{\bar{e}_s}$ .*

- ▶ Rise in  $\mu$  leaves unchanged the relative gains and losses from getting skilled
- ▶ Higher  $\mu$  raises the aggregate supply of the agricultural good *net* of the subsistence amount  $\bar{c}L$ 
  - ▶ excess supply of the agricultural good:  $p_h$  rises
- ▶  $\hat{e}_s$  falls: agents with lower ability now begin to get trained as more attractive to work in  $h$ -sector



# Wage gaps

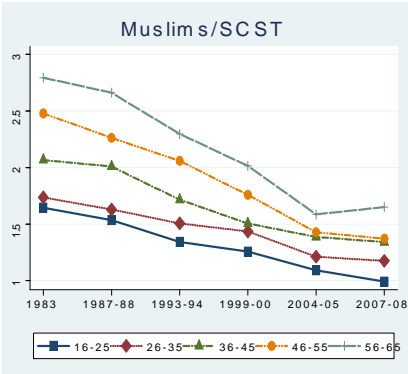
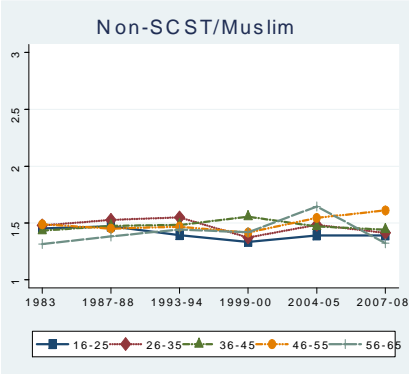
- ▶ Fall in  $\hat{e}_s$  affects the sectoral wage gaps if the thresholds are affected differentially
- ▶ The wage gap in  $h$  falls if the higher costs of getting skilled for type  $n$  more than offsets their ability advantage
- ▶ Differential skill costs key – affirmative action programs

# Some Indirect Evidence

- ▶ Model suggests pre-existing reservations were important
- ▶ Other minorities without reservations?
- ▶ Muslims in India
  - ▶ worse off than mainstream
  - ▶ no reservations

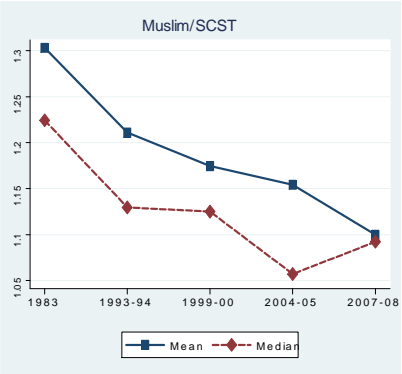
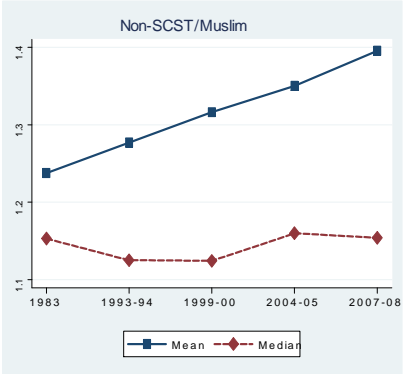
# Muslim education gaps

## Gaps by age cohorts



# Muslim wage gaps

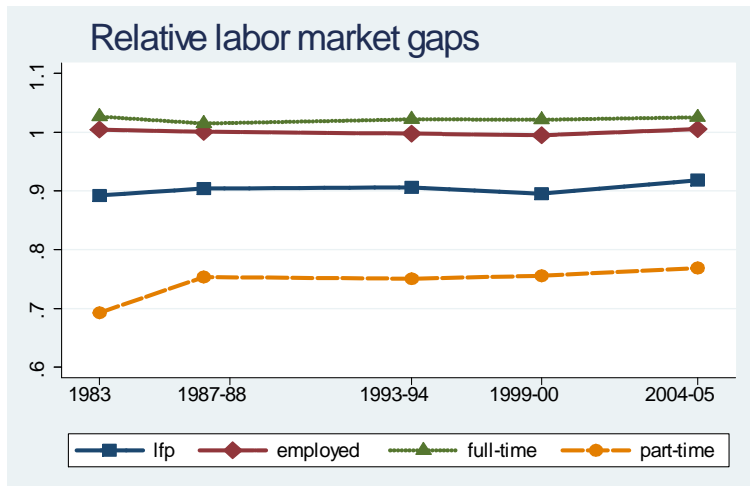
## Muslim Wage Gaps



# Conclusions

- ▶ India has seen sharp catch-up in education and wages of SC/STs
- ▶ We have studied the potential role of aggregate shocks
- ▶ Aggregate shocks can have differential effects if pre-existing subsidization of education for SC/STs
  - ▶ affirmative action programs have been in place since 1950
- ▶ How much can this explain quantitatively?

# Labor market participation (Non-SCST/SCST)



# Aggregation

- ▶ Aggregate sectoral outputs

$$y^a = S \int_{\underline{e}_s}^{\hat{e}_s^m} A e_i dG_s(e) + N \int_{\underline{e}_n}^{\hat{e}_n^m} A e_i dG_n(e)$$

$$y^m = S \int_{\hat{e}_s^m}^{\hat{e}_s^h} M e_i dG_s(e) + N \int_{\hat{e}_n^m}^{\hat{e}_n^h} M e_i dG_n(e)$$

$$y^h = S \int_{\hat{e}_s^h}^{\bar{e}_s} H e_i dG_s(e) + N \int_{\hat{e}_n^h}^{\bar{e}_n} H e_i dG_n(e)$$

- ▶ Aggregate skill acquisition costs

$$F = S \left[ \int_{\hat{e}_s^m}^{\hat{e}_s^h} f_s^m(e_i) dG_s(e) + \int_{\hat{e}_s^h}^{\bar{e}_s} f_s^h(e_i) dG_s(e) \right] \\ + N \left[ \int_{\hat{e}_n^m}^{\hat{e}_n^h} f_n(e_i) dG_n(e) + \int_{\hat{e}_n^h}^{\bar{e}_n} f_n^h(e_i) dG_n(e) \right]$$

# Equilibrium determination

$$p_m = \frac{\left(\frac{1-\theta}{\theta}\right) [y^a - \bar{c}L]}{y^m - F}$$

$$p_m = \frac{A\hat{e}_s}{M\hat{e}_s - \phi(\gamma_s - a\hat{e}_s)}$$

$$\frac{\hat{e}_n}{\hat{e}_s} = \frac{\gamma_n}{\gamma_s}$$

- ▶ First equation: optimal consumption and market clearing
- ▶ Second equation: ability threshold condition
- ▶ Third equation: threshold gaps between the castes